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Refactoring for Comprehension

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1. Refactoring

Concept from [external link](#)

Refactoring is about “improving the design of existing code” and as such, it has been practised as long as programs have been written. The term refactoring specifically refers to a common activity in programming and software maintenance: changing the structure of a program without changing its semantics.

Or maybe more precise, **restructuring** [1]

Restructuring is the transformation from one representation form to another at the same relative abstraction level, while preserving the subject system’s external behavior (functionality and semantics).

2. Program comprehension/Program Understanding/Reverse Engineering

Reverse engineering is the process of analyzing a subject system to

- identify the system's components and their interrelationships and
- create representations of the system in another form or at higher level of abstraction

3. Refactoring: Some techniques (HaRe)

- Structural refactorings: Generalisation
- Renaming a definition
- Changing the scope of a definition
- Adding/Removing an argument

Weakness:

- Techniques applied in isolated and intuitive way

We are looking for a systematic refactoring strategy

4. Our approach for refactoring

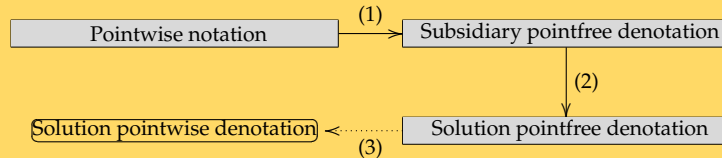


Figure 1: The reverse program calculation process

- Phase (1): Source-to-source transformations
 - removing parameter accumulation
- Phase (2): Formal refactoring
 - point-free calculus
 - pattern driven
- Phase (3): Reimplementation
 - Haskell
 - VDM-SL

5. Source-to-source transformations

During our experimentation we found that one of the most useful source-to-source transformation is *removing parameter accumulation*. We show an example from [3].

```

reset0t([],test0,(possum,negsum)) = ([],test0,(possum,negsum))
reset0t(n:1,test0,(possum,negsum)) =
  reset0t(1,test0,set_sum(n,test0,(possum,negsum)))

set_sum(n,test0,(ps,ns)) =
  if n==0 and test0 then
    if ps>ns then
      (0,ns)
    else
      (ps,0)
  else
    (ps,ns)

```

Figure 2: Program example with two accumulation parameters

```

reset0tt([],test0) = (0,0)
reset0tt(n:1,test0) = set_sum(n,test0,reset0tt(1,test0))

```

Figure 3: Program after removing accumulators



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So, figure 3 may be handled by mutual recursion law, etc.

6. Formal Refactoring

Many laws and properties applied during the refactoring phase are taken from the *point-free calculus*. But, here, for not to be tedious, we show some of these related to *co-product* and *exponential* only.

6.1. Co-product

To combine functions as $f : C \leftarrow A$ and $g : C \leftarrow B$, we need *injectors*

$$A \xrightarrow{i_1} A + B \xleftarrow{i_2} B$$

defined as

$$\begin{aligned} i_1 a &= (t_1, a) \\ i_2 b &= (t_2, b) \end{aligned} \tag{1}$$

Therefore, we combine f and g as follow

$$\begin{aligned}
 [f, g] & : A + B \longrightarrow C \\
 [f, g] x & \stackrel{def}{=} \begin{cases} x = i_1 a \Rightarrow f a \\ x = i_2 b \Rightarrow g b \end{cases}
 \end{aligned} \tag{2}$$

operator named *either*. By mean of this, we define the *co-product of functions*

$$f + g \stackrel{def}{=} [i_1 \cdot f, i_2 \cdot g] \tag{3}$$

Properties

- Cancellation

$$\begin{aligned}
 [f, g] \cdot i_1 & = f \\
 [f, g] \cdot i_2 & = g
 \end{aligned} \tag{4}$$

- Reflection

$$[i_1, i_2] = id_{A+B} \tag{5}$$

- Fusion

$$f \cdot [g, h] = [f \cdot g, f \cdot h] \tag{6}$$

- Absorption

$$[f, g] \cdot (i + j) = [f \cdot i, g \cdot j] \tag{7}$$

- Functor

$$(f \cdot g) + (i \cdot j) = (f + i) \cdot (g + j) \tag{8}$$

- Functor-id

$$id_A + id_B = id_{A+B} \tag{9}$$

6.2. Exponential

To combine functions $f : C \times A \rightarrow B$ and $g : A \rightarrow B \dots$ we “frozen” the C argument

$$f_c : A \rightarrow B$$

$$f_c a \stackrel{def}{=} f(c, a)$$

thus, we have f_c is a value of type B , but $f_c \in B^A$ is a function!

$$B^A \stackrel{def}{=} \{g \mid g : A \longrightarrow B\} \tag{10}$$

From here, we design the *apply* operator

$$\begin{aligned} ap & : B^A \times A \longrightarrow B \\ ap(f, a) & \stackrel{def}{=} fa \end{aligned}$$

- Cancellation

$$\begin{array}{ccc} B^A \times A & \xrightarrow{ap} & B \\ \bar{f} \times id \uparrow & \nearrow f & \\ C \times A & & \end{array} \quad f = ap \cdot (\bar{f} \times id) \tag{11}$$

- Reflexion

$$\begin{array}{ccc} B^A \times A & \xrightarrow{ap} & B \\ id_{B^A} \times id \uparrow & \nearrow ap & \\ B^A \times A & & \end{array} \quad \overline{ap} = id_{B^A} \tag{12}$$

- Fusion

$$\begin{array}{ccc}
 B^A \times A & \xrightarrow{ap} & B \\
 \bar{g} \times id \uparrow & \nearrow g & \\
 C \times A & \xrightarrow{g \cdot (f \times id)} & \\
 f \times id \uparrow & & \\
 D \times A & &
 \end{array}
 \qquad
 \overline{g \cdot (f \times id)} = \bar{g} \cdot f \tag{13}$$

- Absorption

$$\begin{array}{ccc}
 D^A \times A & \xrightarrow{ap} & D \\
 f^A \times id \uparrow & & \uparrow f \\
 B^A \times A & \xrightarrow{ap} & B \\
 \bar{g} \times id \uparrow & \nearrow g & \\
 C \times A & &
 \end{array}
 \qquad
 \overline{f \cdot g} = f^A \cdot \bar{g} \tag{14}$$

where we use another functional combinator

$$(f^A)g \stackrel{def}{=} f \cdot g \tag{15}$$

- Functor

$$(g \cdot h) = g^A \cdot h^A \quad (16)$$

- Functor-id

$$id^A = id \quad (17)$$

7. (Pattern-driven) Formal Refactoring

The calculated patterns lead the transformational process.

- For list

$$\begin{aligned} \langle h \rangle Nil &= h_1 \\ \langle h \rangle Cons &= h_2^* \cdot \tau_{A,L} \cdot (id \times \langle h \rangle) \end{aligned} \quad (18)$$

- For Binary tree

$$\begin{aligned} \langle h \rangle Leaf a &= h_1 a \\ \langle h \rangle Join t_1 t_2 &= h_2^* \cdot \psi \cdot (\langle h \rangle \times \langle h \rangle)(t_1, t_2) \end{aligned} \quad (19)$$

8. An example

The example use a list datatype involving the monad **State**. But more experiments we have carried out on binary tree, for example, and handling other side effects.

A commutative diagram is often used as a graphical tool to get a quick view of the function we are interested in.

$$\begin{array}{ccc}
 L & \xleftarrow{\quad in \quad} & 1 + Int \times L \\
 \downarrow \langle sms \rangle & & \downarrow id + id \times \langle sms \rangle \\
 (Int \times S)^S & \xleftarrow[\langle h \times id_S \rangle^*]{} & ((1 + Int \times Int) \times S)^S \xleftarrow[\delta_{Int}^L]{} 1 + Int \times (Int \times S)^S
 \end{array} \tag{20}$$

The pattern-driven calculational/transformational process applying, among others, properties and laws from the point-free calculus.

$$\begin{aligned}
 & \langle sms \rangle \cdot in \\
 = & \{(20)\} \\
 & \overline{h \times id} \bullet \delta_{Int}^L \cdot (id + id \times \langle sms \rangle) \\
 = & \{\text{distribution law definition}\} \\
 & \overline{h \times id} \bullet [\widehat{i_1}, \widehat{i_2} \bullet \tau_{Int,L}] \cdot (id + id \times \langle sms \rangle) \\
 = & \{\text{kleisli composition definition}\} \\
 & (\overline{h \times id})^* \cdot [\widehat{i_1}, \widehat{i_2} \bullet \tau_{Int,L}] \cdot (id + id \times \langle sms \rangle) \\
 = & \{(6)\} \\
 & [\overline{(h \times id)}^* \cdot \widehat{i_1}, \overline{(h \times id)}^* \cdot \widehat{i_2} \bullet \tau_{Int,L}] \cdot \\
 & (id + id \times \langle sms \rangle) \\
 = & \{\text{lifting functor definition}\} \\
 & [\overline{(h \times id)}^* \cdot (unit \cdot i_1), \overline{(h \times id)}^* \cdot (unit \cdot i_2) \bullet \tau_{Int,L}] \cdot \\
 & (id + id \times \langle sms \rangle) \\
 = & \{\text{associativity and second kleisli triple property}\}
 \end{aligned}$$

$$\begin{aligned}
 & \overline{[(h \times id) \cdot i_1, (h \times id) \cdot i_2] \bullet \tau_{Int,L}} \cdot \\
 & (id + id \times \langle sms \rangle) \\
 = & \{(14) \text{ in reverse}\} \\
 & \overline{[(h \times id) \cdot (i_1 \times id), (h \times id) \cdot (i_2 \times id)] \bullet \tau_{Int,L}} \cdot \\
 & (id + id \times \langle sms \rangle) \\
 = & \{\text{"bi-distribution" of } \times \text{ with respect to composition in reverse}\} \\
 & \overline{[(h \cdot i_1) \times (id \cdot id), (h \cdot i_2) \times (id \cdot id)] \bullet \tau_{Int,L}} \cdot \\
 & (id + id \times \langle sms \rangle) \\
 = & \{\text{identity and } h \text{ definition}\} \\
 & \overline{[(\underline{0}, +) \cdot i_1] \times id, (\underline{0}, +) \cdot i_2] \times id} \bullet \tau_{Int,L} \cdot \\
 & (id + id \times \langle sms \rangle) \\
 = & \{(4)\} \\
 & \overline{[\underline{0} \times id, (+ \times id)] \bullet \tau_{Int,L}} \cdot (id + id \times \langle sms \rangle) \\
 = & \{(7) \text{ and kleisli composition definition}\} \\
 & \overline{[\underline{0} \times id, (+ \times id)^*] \bullet \tau_{Int,L}} \cdot (id \times \langle sms \rangle)
 \end{aligned}$$

Since $in = [Nil, Cons]$ we can conclude that

```

sms l = \s -> mfoldL(return 0, \x y -> do {c <- tick;
                                         return(x+y)}) 1
    
```

Figure 7: sms function refactored by mfoldL operator

```

nmfoldL :: Monad m => (m a, b -> m a -> m a) -> [b] -> m a
nmfoldL (h1,h2) = mfl
  where mfl []       = h1
        mfl (a:as) = h2 (a) (mfl as)
    
```

Figure 8: mfold operator for lists without distribution law

$$\begin{aligned}
 \langle sms \rangle Nil &= \overline{0 \times id_S} \\
 \langle sms \rangle (Cons) &= (\overline{+ \times id_S})^* \cdot \tau_{Int,L} \cdot (id \times \langle sms \rangle)
 \end{aligned} \tag{21}$$

Matching (21) and (18) ...

8.1. An alternative refactoring

But, in this case, we can show another way to refactor leaded by other pattern.

```
sms = \s -> nmfoldL(return 0, \e r -> do {c <- tick;  
                                         x <- r; return(e+x)})
```

Figure 9: sms refactored by nmfoldL operator

9. Future directions

- To analyze more complex cases involving monad transformers
- To apply more abstract patterns as mentioned by [2]
- Patterns for specific domain problems?
- **Funtional setting for reengineering imperative code?**

10. Conclusions

- The refactoring process is pattern driven
- We can calculate specification
- The patterns are calculated . . . not designed

References

- [1] E.J. Chikofsky and J. H. Cross II. Reverse engineering and design recovery: a taxonomy. *IEEE Software*, 7(1):13–17, 1990.
- [2] Jeremy Gibbons. Design patters as higher-order datatype generic programs. In *Workshop on Generic Programming*, Portland, Oregon, USA, September. ACM SIGPLAN.
- [3] G. Villavicencio. Reverse program calculation by conditioned slicing. In *Proceedings of the 7th European Conference on Software Maintenance and Reengineering*, pages 368–378, Benevento, Italy, March 2003. IEEE CS Press, California, USA.